

The annual ASEE Meeting will be held at Los Angeles, Calif. on June 17-20, 1968. The ChE Program Chairman for the meeting is Dr. D. K. Anderson, Chemical Engineering Department, Michigan State University, East Lansing, Michigan 48823. The program follows:

**Monday, June 17**

12:00- 1:30 P.M. Executive Committee Meeting  
Committee Dr. L. Bryce Andersen, Presiding

**Tuesday, June 18**

10:00-11:30 A.M. Annual Distinguished Lecturer  
Lecture Dr. George Burnet, Presiding

12:00- 1:30 P.M. Annual Division Business Meeting  
Luncheon Dr. L. Bryce Andersen, Presiding

1:45- 5:30 P.M. Frontier Areas in Chemical  
Conference Engineering  
Dr. L. Bryce Andersen, Presiding

**Wednesday, June 19**

10:00-11:30 A.M. New Approach to Teaching Chemical  
Conference Engineering  
Dr. Donald K. Anderson, Presiding

1:45- 3:30 P.M. Meeting of Chemical Engineering  
Conference Department Heads  
Dr. Wm. H. Honstead, Presiding

6:00- 7:45 P.M. Annual Chemical Engineering  
Banquet Division Banquet  
Dr. L. Bryce Andersen, Presiding

Speaker: Silas A. Bradley  
Dow Corning Center for Aid to  
Medical Research  
"Artificial Internal Organs"

The program papers feature two areas of interest to ChE Educators.

**I. New Approaches to Teaching Chemical Engineering**

The New Stoichiometry, E. J. Henley and E. M. Rosen  
A Self-pacing, Auto-graded Course, G. David Schilling  
Chemical Engineering Laboratory—An Integrated Approach, John R. Thygeson  
University-Industry Partnerships in Design Education  
Buford D. Smith  
Teaching Optimization Methods, Louis L. Edwards

**II. Frontier Areas in Chemical Engineering**

An Environmental Focus for Engineering Education  
Seymour Calvert  
Education for a New Environment-Bioomedical  
Engineering, Richard C. Seagrave  
Ocean Engineering, Carl H. Gibson  
Space Engineering, John L. Mason

Readers are again urged to send publishable solutions to the problems for teachers in volume 2, no. 1 of CEE either to Dr. Levenspiel or to the Editor.

The following problems were written by Professors R. K. Irey and J. H. Pohl at the University of Florida. Readers may send solutions to the Editor. The solution will be published in a future issue dealing with thermodynamics.

1. For a single component closed system, the Gibbs equation is written as

$$du = Tds - \sum_{j=1}^N \vec{F}_j \cdot d\vec{x}_j$$

The  $F_j$ 's and  $x_j$ 's are the generalized forces and displacements of the  $N$  reversible work modes.

- a. Develop a set of  $N + 1$  equations relating the partial derivatives of  $u$  to thermodynamic functions.  
b. Develop  $N + 1$  Maxwell relations for the system.

The following analogs are defined:

For the Gibbs Function: 
$$\psi = u + \sum_{j=1}^N \vec{F}_j \cdot \vec{x}_j - Ts$$

For the Helmholtz Function: 
$$\psi_q = u - Ts$$

and for enthalpy 
$$\psi_w = u + \sum_{j=1}^N \vec{F}_j \cdot \vec{x}_j$$

- c. How many equations similar to those of part a) can we develop from the analogs? (Example:

$$\left(\frac{\partial \psi_q}{\partial T}\right)_{\vec{F}_j} = -s)$$

- d. How many independent Maxwell relations are available?  
e. Derive the Maxwell relation for

$$\left(\frac{\partial \vec{F}_j}{\partial T}\right)_{\vec{x}_i, \vec{x}_j} =$$

2. For a single component closed system, the Gibbs equation is written as

$$du = Tds - \sum_{j=1}^N \vec{F}_j \cdot d\vec{x}_j$$

Continued on Next Page.

Problems for Teachers (Cont'd)

We define an analog of enthalpy as

$$\Psi_{\omega} = u + \sum_{j=1}^N \vec{F}_j \cdot \vec{x}_j$$

The  $F_j$ 's and  $x_j$ 's are the generalized forces and displacements of the  $N$  reversible work modes. Let the generalized specific heat at constant generalized force and the generalized specific heat at constant generalized displacement be defined respectively as

$$C_{\vec{F}_i} = \left( \frac{\partial \Psi_{\omega}}{\partial T} \right)_{\vec{F}_i} ; \quad C_{\vec{x}_i} = \left( \frac{\partial u}{\partial T} \right)_{\vec{x}_i}$$

a. Show that

$$C_{\vec{F}_i} - C_{\vec{x}_i} = T \sum_{j=1}^N \left( \frac{\partial \vec{F}_j}{\partial T} \right)_{\vec{x}_i, \vec{x}_j} \cdot \left( \frac{\partial \vec{x}_j}{\partial T} \right)_{\vec{F}_i, \vec{F}_j}$$

b. If  $C^*$  represents available data on the specific heat at given values of the  $N$  general displacements  $\vec{x}_j$  show that

$$C_{\vec{x}_i} - C_{\vec{x}_i}^* = T \sum_{j=1}^N \int_{\vec{x}_j^*}^{\vec{x}_j} \left( \frac{\partial^2 \vec{F}_j}{\partial T^2} \right)_{\vec{x}_i, \vec{x}_j} \cdot d\vec{x}_j$$

3. For a multicomponent, open system, the Gibbs equation can be written as

$$dU = TdS + \sum_{j=1}^N \vec{F}_j d\vec{x}_j + \sum_{k=1}^v \psi_k' dn_k + \psi dm$$

where  $N$  is the number of reversible work modes and  $v$  is the number of components of the system,

$\psi_k'$  is the partial molar total Legendre transform of species  $k$ ,

$\psi$  is the total Legendre transform per unit mass.

- How many equations relating partial derivatives of  $U$  to thermodynamic functions are available?
- How many Maxwell relations are available?
- With the following analogs:

For the Gibbs Function: 
$$\Psi = U + \sum_{j=1}^N \vec{F}_j \cdot \vec{x}_j - TS$$

For the Helmholtz Function: 
$$\Psi_{\omega} = U - TS$$

and enthalpy 
$$\Psi_{\omega} = U + \sum_{j=1}^N \vec{F}_j \cdot \vec{x}_j$$

## ACKNOWLEDGMENTS

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Problems for Teachers (Cont'd)

How many equations similar to part (a) and (b) can we develop?

d. Show that

$$\left( \frac{\partial \vec{F}_j}{\partial m} \right)_{S, \vec{x}_i, \vec{x}_j, n_k} = - \left( \frac{\partial \Psi}{\partial x_j} \right)_{S, m, n_k, \vec{x}_i}$$